



The Search for Dark Photons in $H \rightarrow Z\gamma_D$ using Machine Learning Algorithms

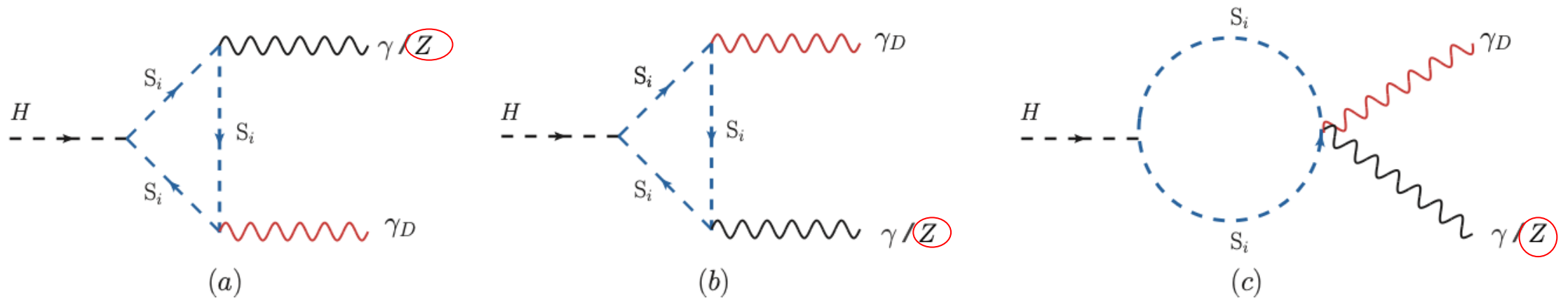
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Dark Photon

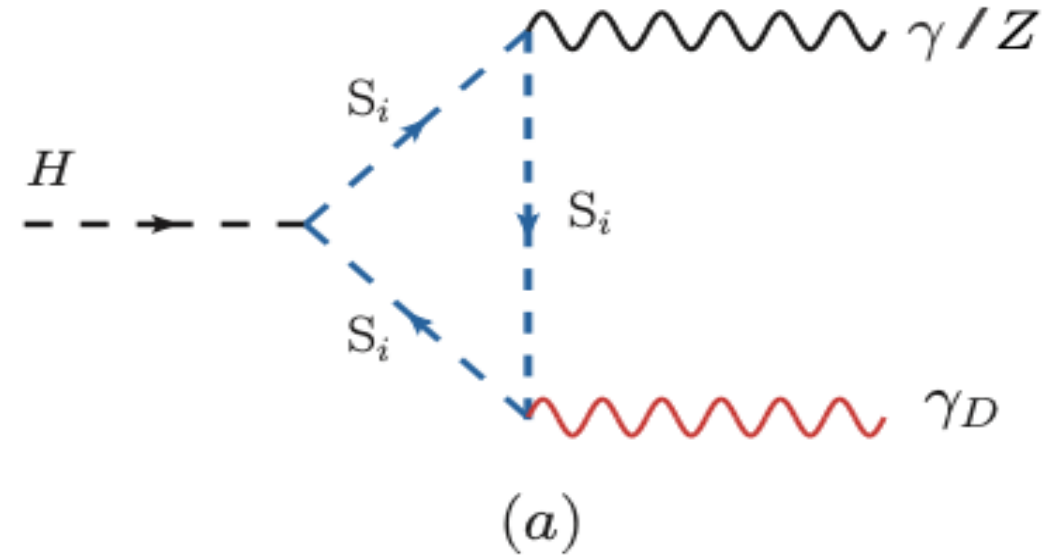
- Hypothetical gauge boson similar to the ordinary photon
- If detected => Hints about Dark Sector Interactions
- In this project it is considered as a Massless Particles
- Hard to detect! – weakly interacting
- Models predict it production via the Higgs portal mechanism



- Several ways that Higgs that can produce a dark photon
- They typically produce $\gamma\gamma_D$, $\gamma\gamma, \gamma_D Z$ or $\gamma_D\gamma_D$
- $\gamma\gamma_D$ in the most common method used to search for Dark Photons
- Here we are trying to search using $\gamma_D Z$
 - New search at the LHC

Higgs Decay to a Dark Photon

Very Preliminary: $H \rightarrow Z\gamma_D$



$$BR_{\gamma\gamma} = BR_{\gamma\gamma}^{SM} \frac{(1 + \chi\sqrt{r_{\gamma\gamma}})^2}{1 + r_{\gamma_D\gamma_D} BR_{\gamma\gamma}^{SM}}$$

$$BR_{\gamma\gamma_D} = BR_{\gamma\gamma}^{SM} \frac{r_{\gamma\gamma_D}}{1 + r_{\gamma_D\gamma_D} BR_{\gamma\gamma}^{SM}}$$

$$BR_{Z\gamma_D} = BR_{\gamma\gamma}^{SM} \frac{r_{Z\gamma_D}}{1 + r_{\gamma_D\gamma_D} BR_{\gamma\gamma}^{SM}}$$

$$BR_{\gamma_D\gamma_D} = BR_{\gamma\gamma}^{SM} \frac{r_{\gamma_D\gamma_D}}{1 + r_{\gamma_D\gamma_D} BR_{\gamma\gamma}^{SM}}$$

$$r_{\gamma\gamma_D} = 2X^2 \left(\frac{\alpha_D}{\alpha}\right)^2 \quad r_{\gamma_D\gamma_D} = X^2 \left(\frac{\alpha_D}{\alpha}\right)^2$$

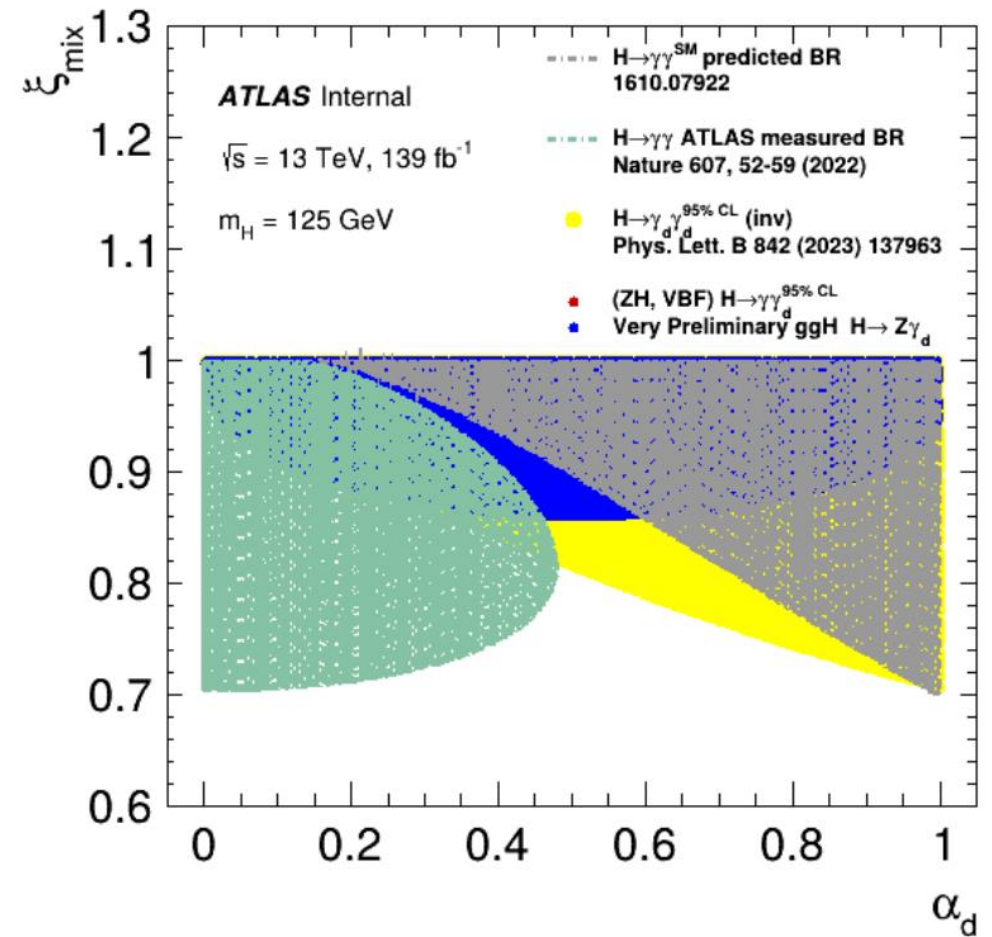
$$r_{Z\gamma_D} = 2X^2 R_{Z\gamma}^2 \left(\frac{\alpha_D}{\alpha}\right)^2 \quad r_{\gamma\gamma} = X^2$$

$$X = \frac{\zeta^2}{3F(1-\zeta^2)} \quad \zeta = \frac{\Delta}{\bar{m}^2}$$

- Minimal Model
 - 2 Scalar Messengers that act as a bridge between SM and the dark sector
 - Contribute through quantum loop processes
 - Generate both $H \rightarrow \gamma\gamma_D$ and $H \rightarrow Z\gamma_D$
- Where
 - $R_{Z\gamma}$ - parametrizes the ratio between the amplitudes of and $H \rightarrow Z\gamma_D$ over the $H \rightarrow \gamma\gamma_D$ one
 - θ_W - is the Weinberg angle
 - Q^i - the electric charge in unit of e,
 - Y^i - the corresponding hypercharge of the scalar fields contributing to the effective coupling

Very Preliminary: $H \rightarrow Z\gamma_D$

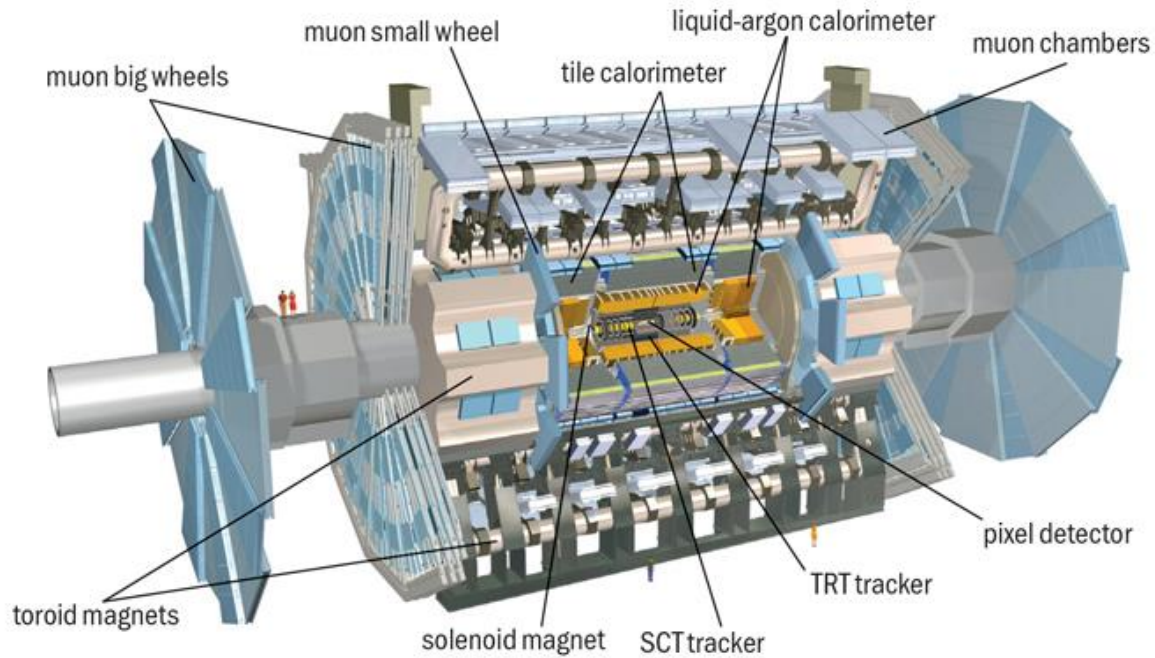
- $R_{Z\gamma}$ - depends on the nature and quantum numbers of the scalar messengers running in the loops.
 - $R_{Z\gamma}$ could range from 0.045 up to 1.3.
- A model-independent approach could also be used for $\text{BR}(H \rightarrow Z\gamma_D)$ interpretation.
 - Assuming $\text{BR}(H \rightarrow Z\gamma_D) < 1\%$ and an average $R_{Z\gamma}$ value



Final State and Data

$$\begin{aligned} H &\rightarrow \gamma_D Z \\ Z &\rightarrow l^+ l^- \end{aligned}$$

- Final state is $l^+ l^- + \text{MET}$
 - $l = e/\mu$ and MET from γ_D
- Monte Carlo Samples used
 - Signals
 - ❖ ggH
 - ❖ VBFH
 - Backgrounds
 - ❖ llvv
 - ❖ ttbar
 - ❖ Z+jets



ATLAS and the LHC

- LHC
 - Proton-proton collider
 - Center of Mass Energy: 13-14TeV
 - Very high luminosity
 - Luminosity
 - measurement of the performance of the collider
 - Determines the rate of collisions
- ATLAS
 - One of the multipurpose detectors at the LHC
 - High precision tracking system
 - Compact hydronic electromagnetic calorimeters
 - High coverage muon spectrometer
 - High efficiency
 - Particle identification
 - Energy resolution
 - MET measurements
 - Widely used for
 - Standard Model precision measurements
 - New physics searches

Machine Learning

- Main challenge: distinguishing a rare dark-photon signal
- Machine learning techniques:
 - Rather than relying solely on traditional cut-based methods
- Boosted Decision Trees
 - Operated via a combination of several decision trees
 - Commonly used in High Energy Physics
 - Two main types
 1. ADABOOST
 2. GradBoost
- Recurrent Neural Networks
 - Designed for sequential data
 - Can take time to run
 - Variable order matters

Pre-selections and Input Variables

Pre-selections	Input Variables
Exactly two leptons ($e^+e^-/\mu^+\mu^-$)	$\Delta R \text{ lepton } (l^+l^-)$
Leading Transverse Momentum (p_T) $> 27\text{GeV}$ Sub-leading Transverse Momentum (p_T) $> 15\text{GeV}$ Electron Pseudorapidity (η) cut: $ \eta < 2.47$ excluding the 1.37 $< \eta < 1.52$ calorimeter crack region Muon Pseudorapidity (η) cut: $ \eta < 2.5$	Missing transverse Energy Significance MET_{sig}
Jet Transverse Momentum (p_T^{Jet}) $> 30\text{GeV}$ Jet Pseudorapidity (η) cut: $ \eta < 4.5$	$\Delta\phi(Z, MET)$
Dilepton invariant mass: $65\text{GeV} < m_{ll} < 110\text{GeV}$	$\Delta\phi(\text{Leading Jets}, MET)$
Missing Transverse Energy: $MET > 15\text{GeV}$	Sub-leading Lepton Transverse Momentum
$N_{jet} \leq 2$ $N_{b_{Jet}} = 0$	Number of Jets
	Dilepton Invariant Mass
	$\frac{P_{T_{l1}} + P_{T_{l2}}}{m_{tll}}$
	$\frac{MET}{m_{tll}}$

TMVA Configuration

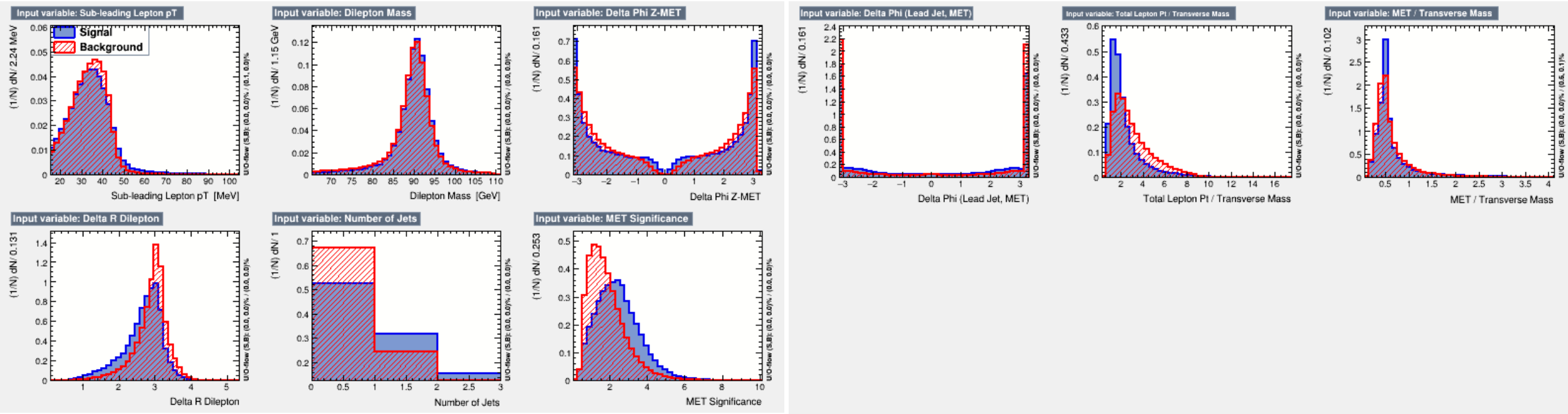
- Toolkit: **ROOT TMVA** using `TMVA (Toolkit for Multivariate Analysis) . Factory` and `TMVA . DataLoader`
- Analysis type: **Classification**
- Event split: 75% training and 25% testing

Note:

--BDT & RNN hyperparameters were optimized using the grid search method.

Distributions of input variables

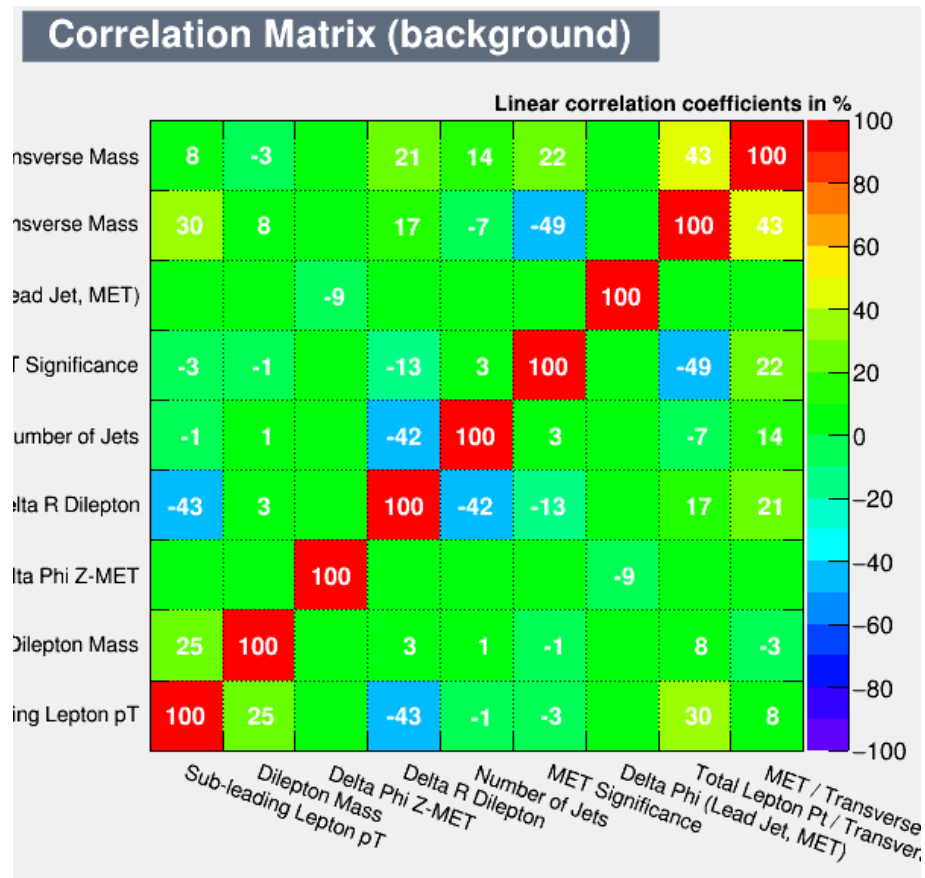
- Both models are trained using the same events and same input variables



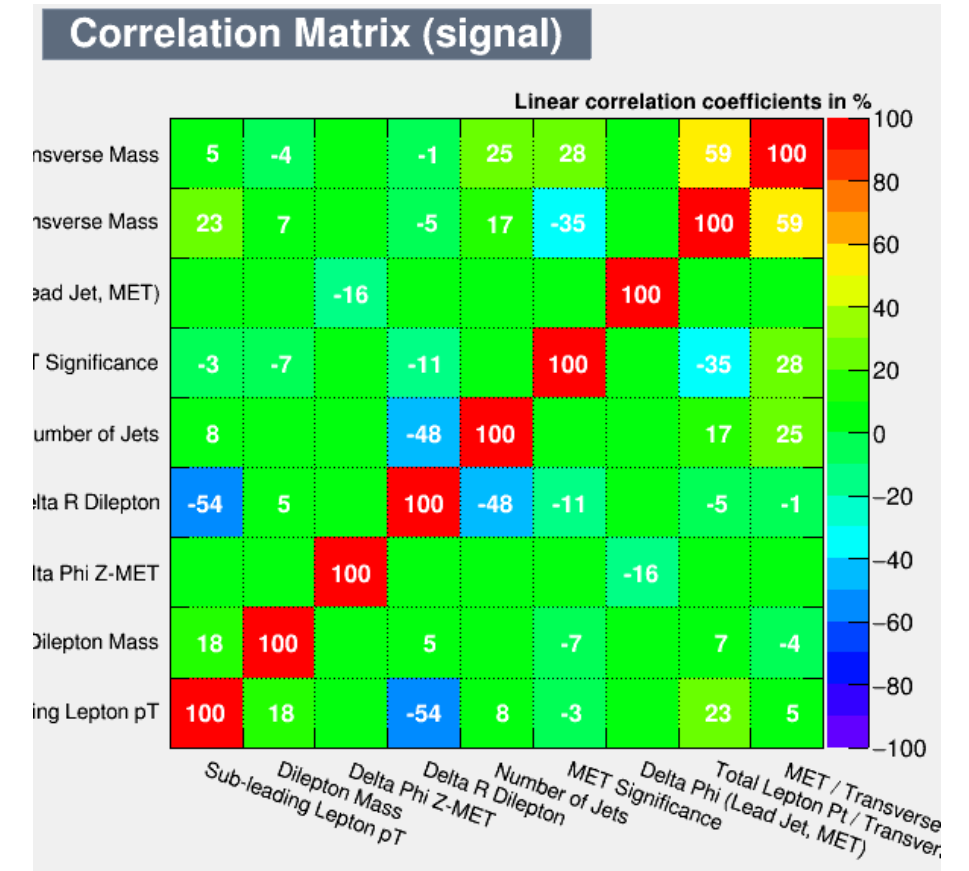
Correlation Matrix

Correlation Matrices for the BDT Training

- Identical to the RNN Matrices



High correlation between $\frac{P_{Tl1}+P_{Tl2}}{m_t}$ and $\frac{MET}{m_t}$

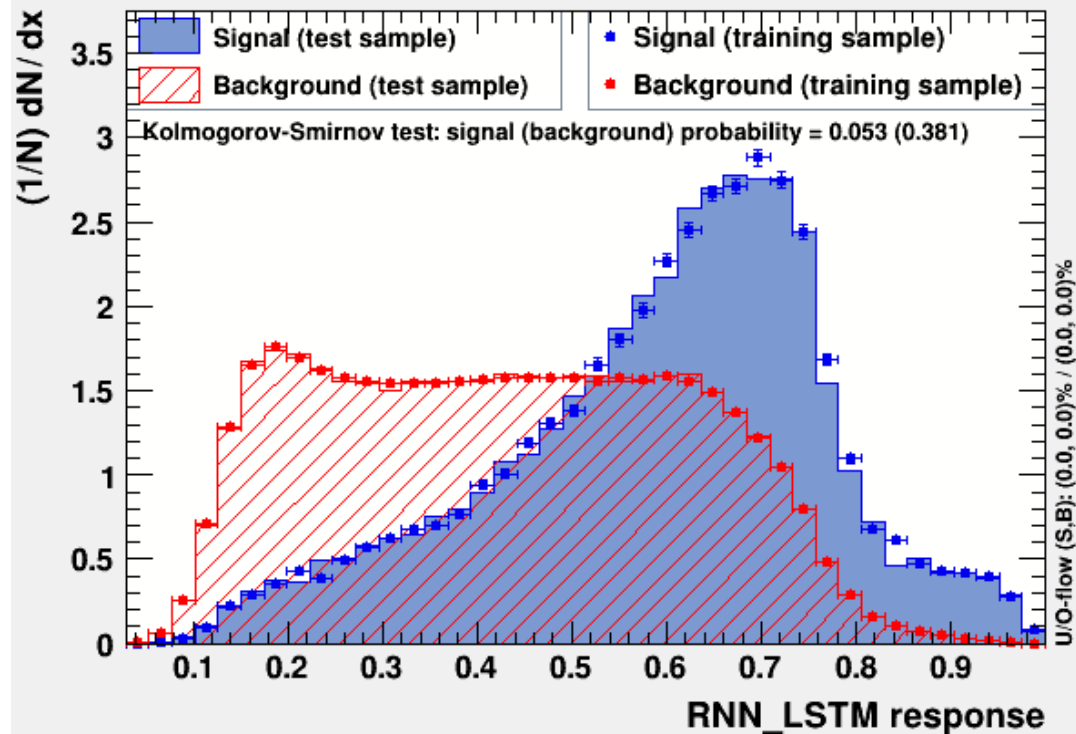


BDT vs RNN Comparison - Testing

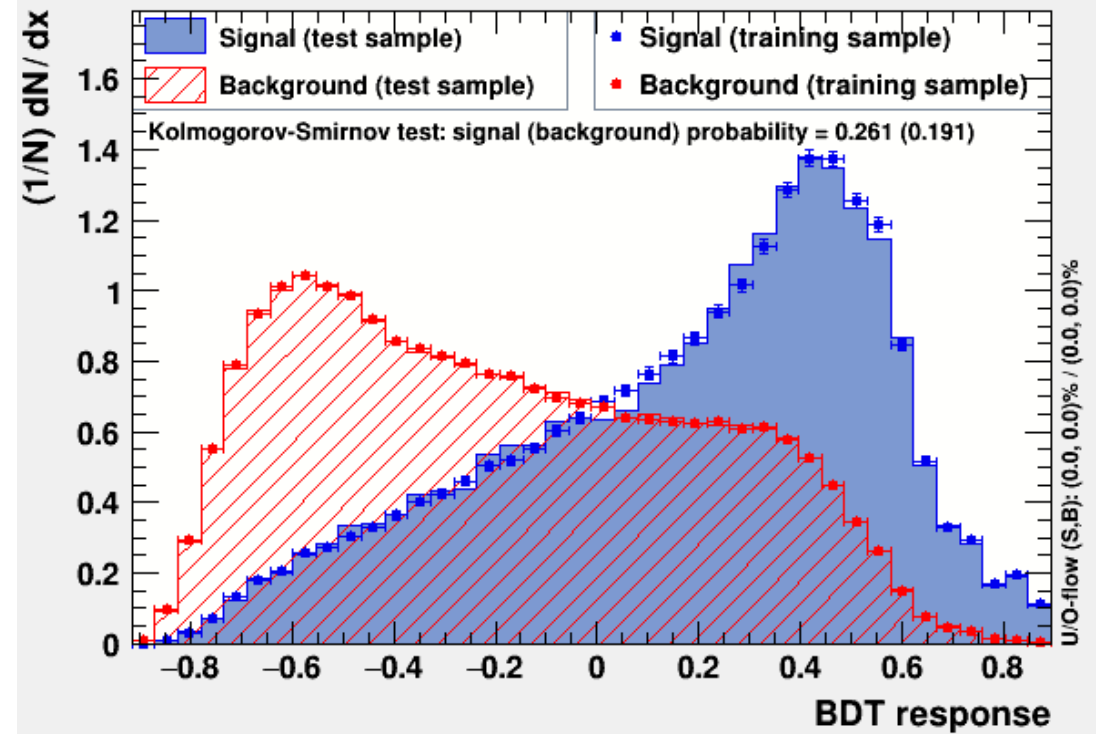
Testing check comparison from the training stage

- Training and testing samples both follow each other within each method -> No overtraining

TMVA overtraining check for classifier: RNN_LSTM

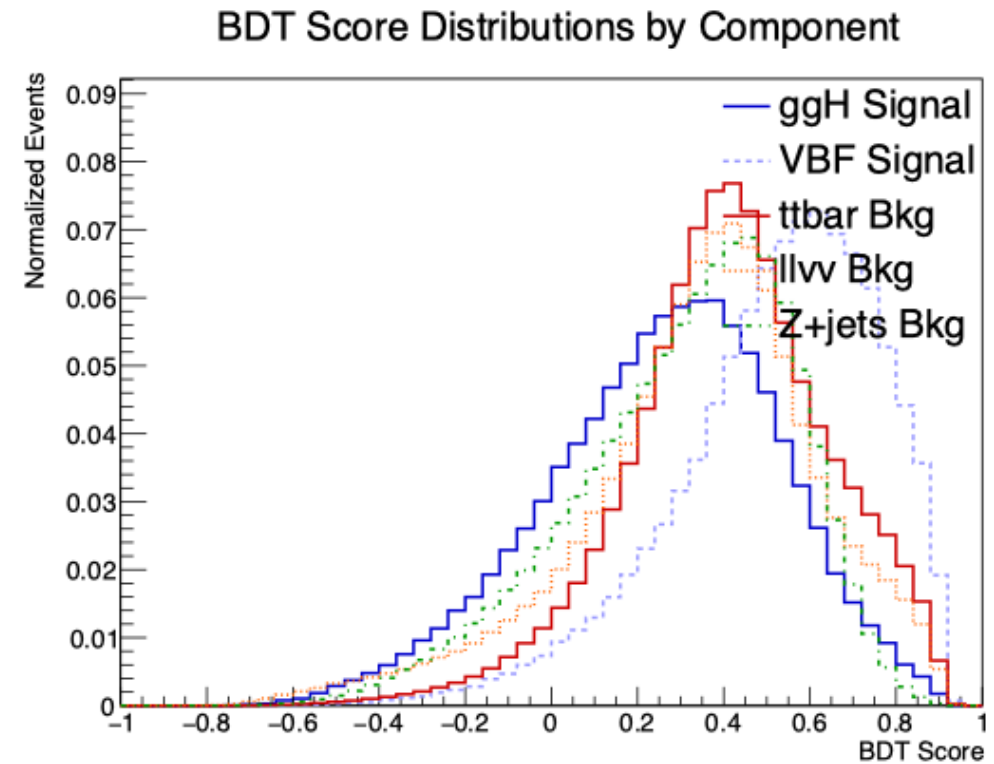
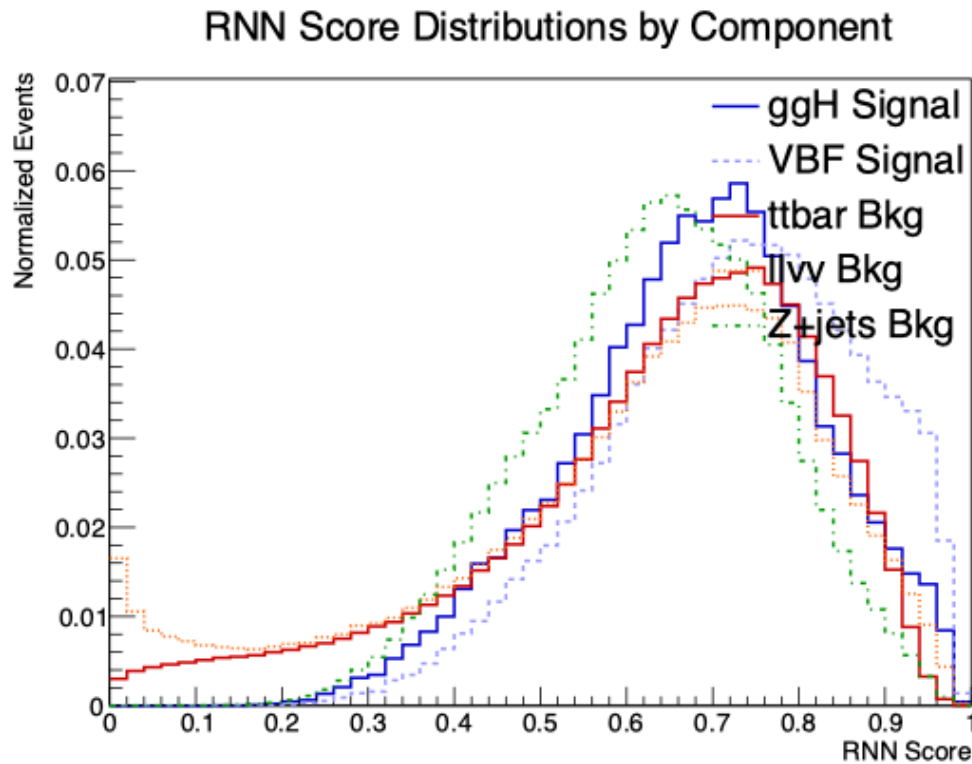


TMVA overtraining check for classifier: BDT



Score Distributions

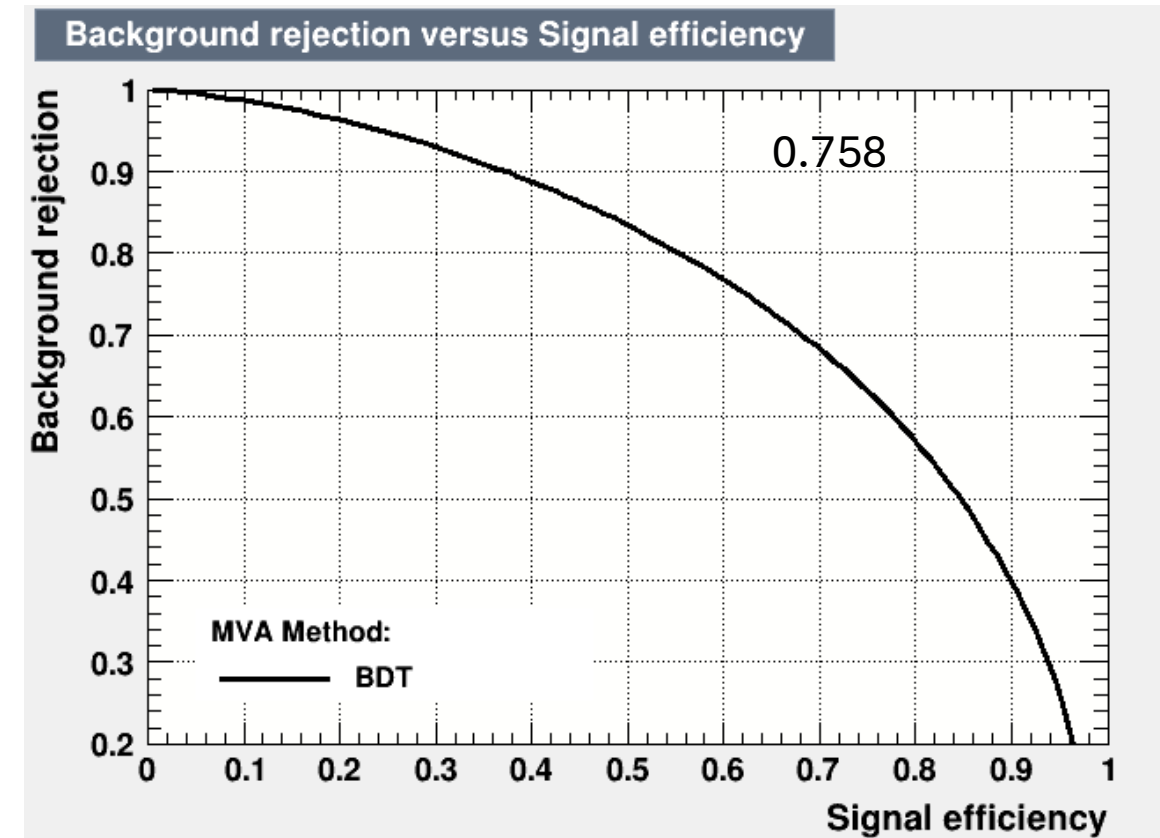
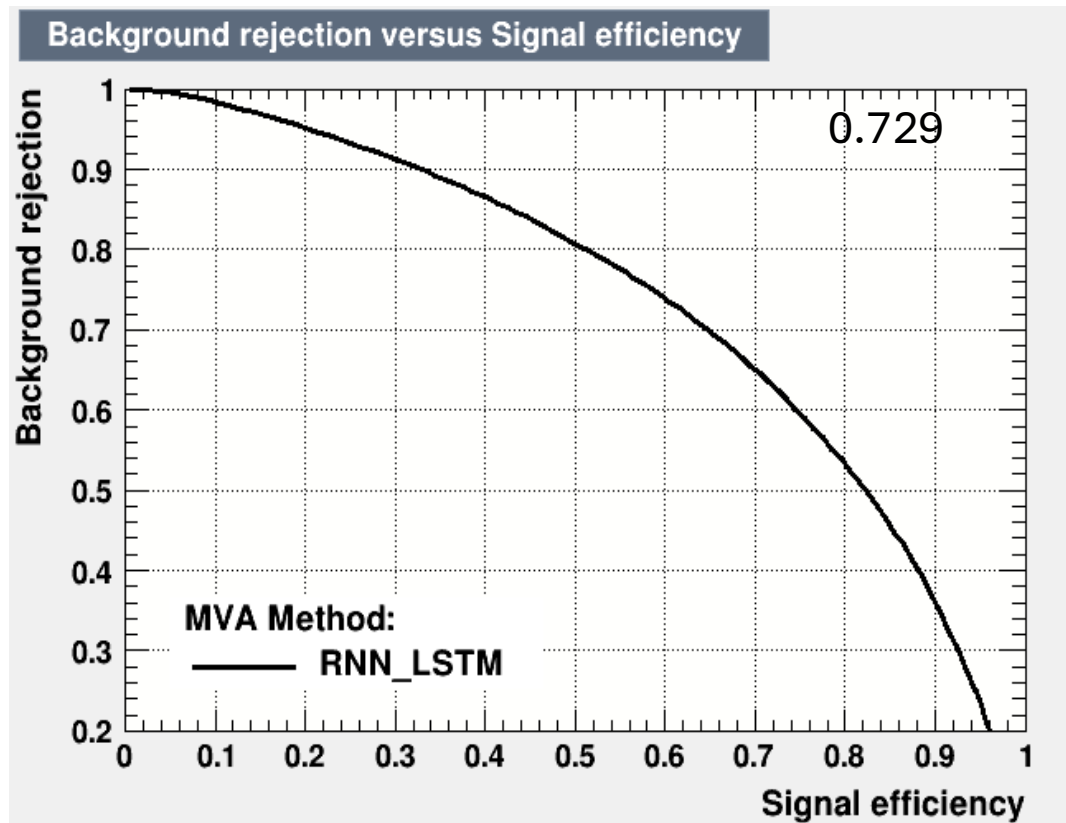
Score Distributions after the training has been applied to the Monte Carlo Samples for the individual signal and background processes



ROC

ROC curves are near identical

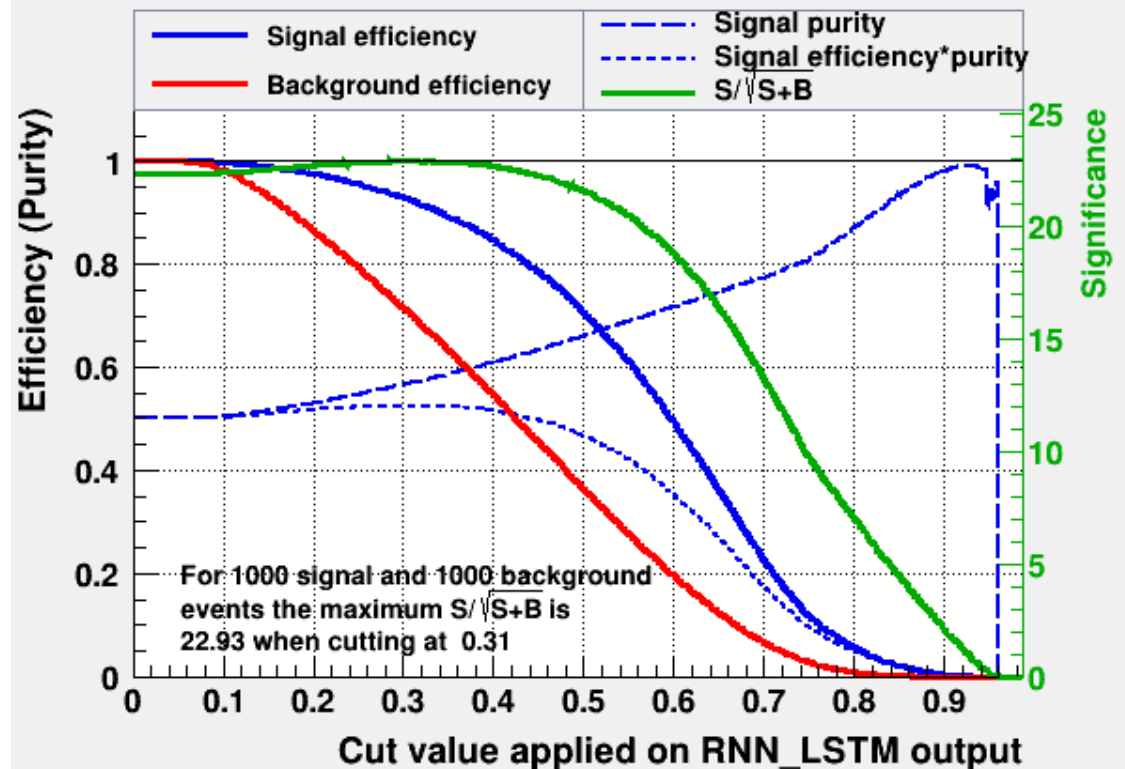
- Have different ROC values
- The inverse curves are also similar
- BDT slightly better (modest improvement in classification performance)



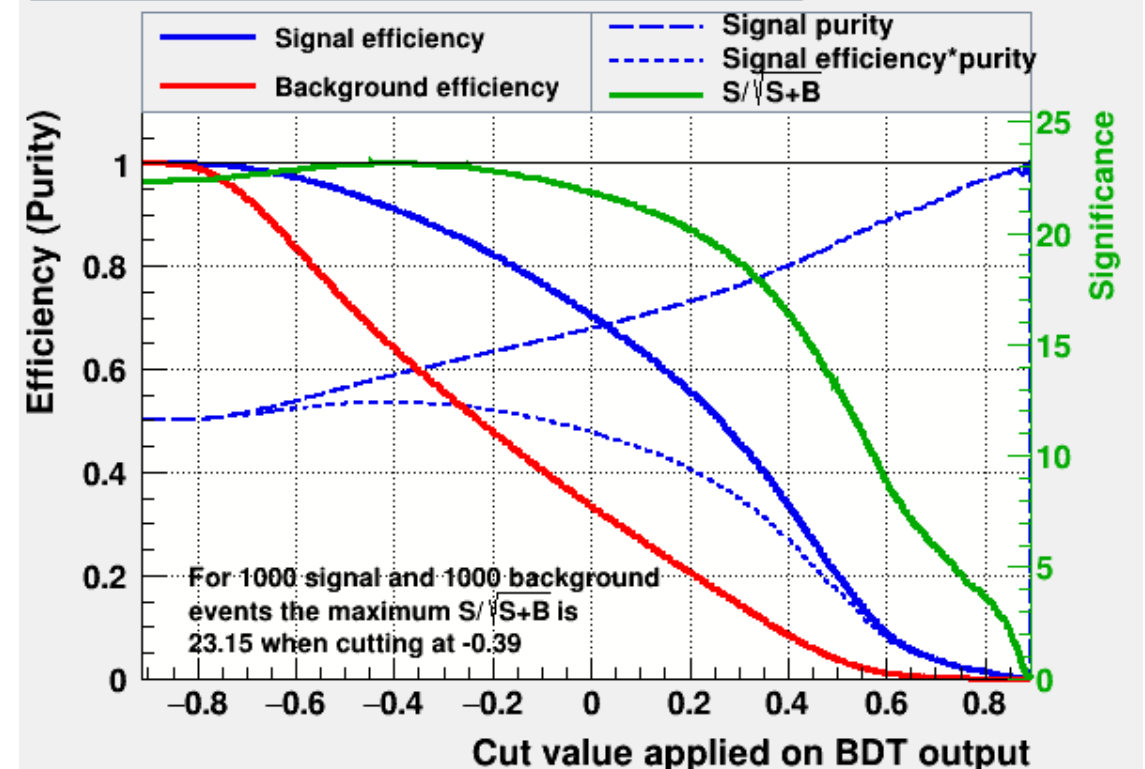
Efficiencies

Comparison of the efficiencies as well as the Signal Significance from the training of the models
- Expected and close in value

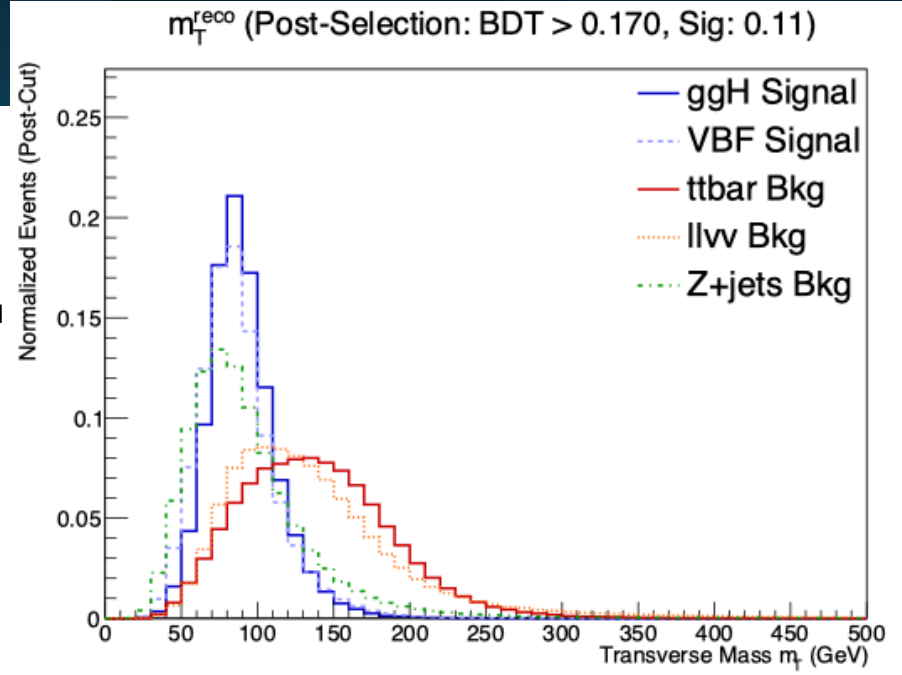
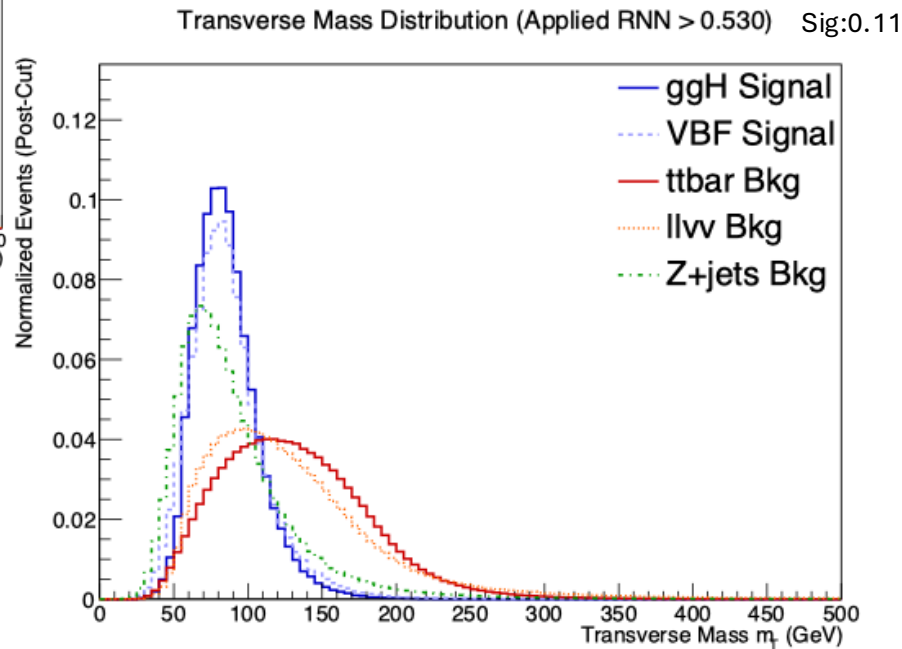
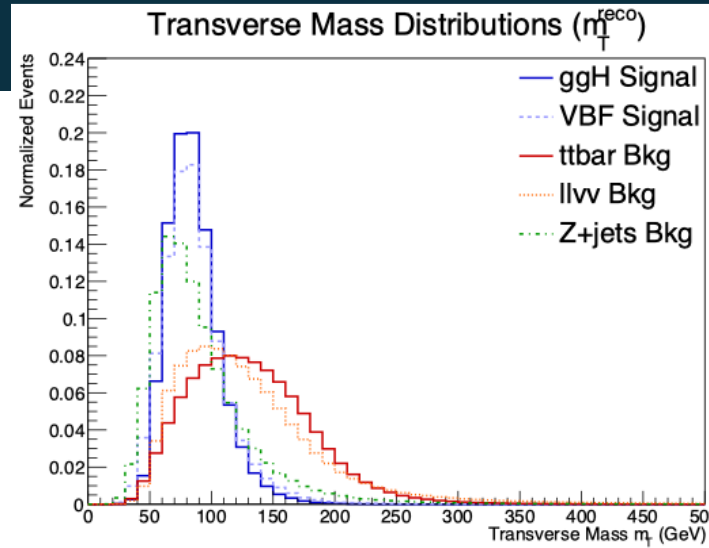
Cut efficiencies and optimal cut value



Cut efficiencies and optimal cut value



m_T^{reco} Distributions



- Signal processes remain concentrated around the expected m_T^{reco} region.
- Backgrounds are more broadly distributed after the classifier selection.
- The BDT produces a slightly cleaner signal-enriched sample, consistent with the ROC curve results.

Conclusions

- Both the BDT and RNN successfully distinguish the signal from the dominant SM backgrounds, with no evidence of significant overtraining.
- The BDT consistently provides a modest improvement in discrimination performance over the RNN, although both classifiers show comparable overall behaviour.
- These results are preliminary and demonstrate the potential of machine learning techniques for this search, while highlighting areas where further optimisation is still possible.

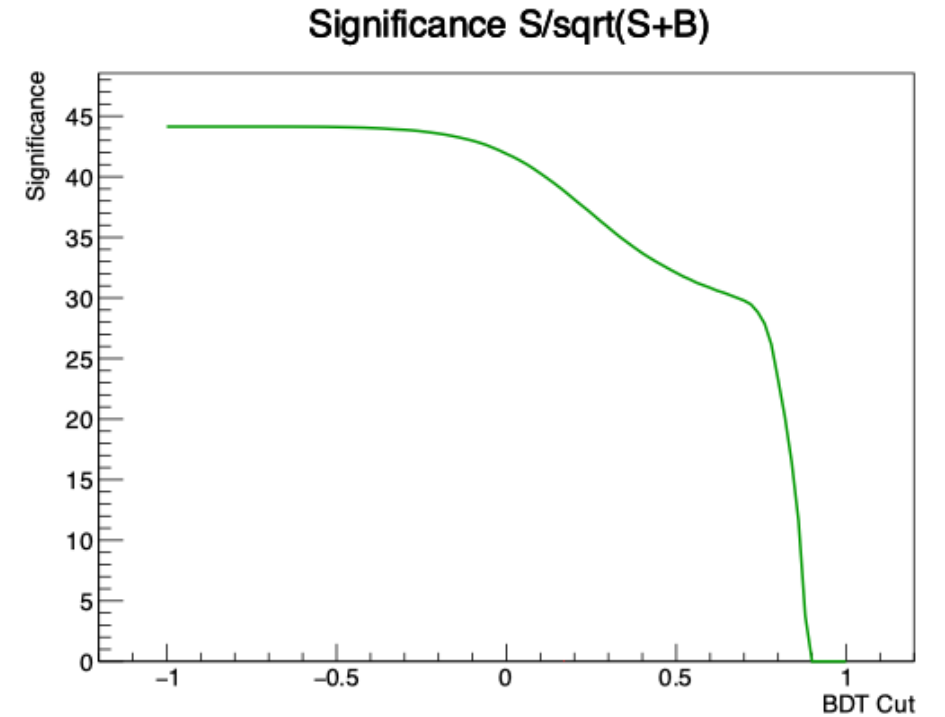
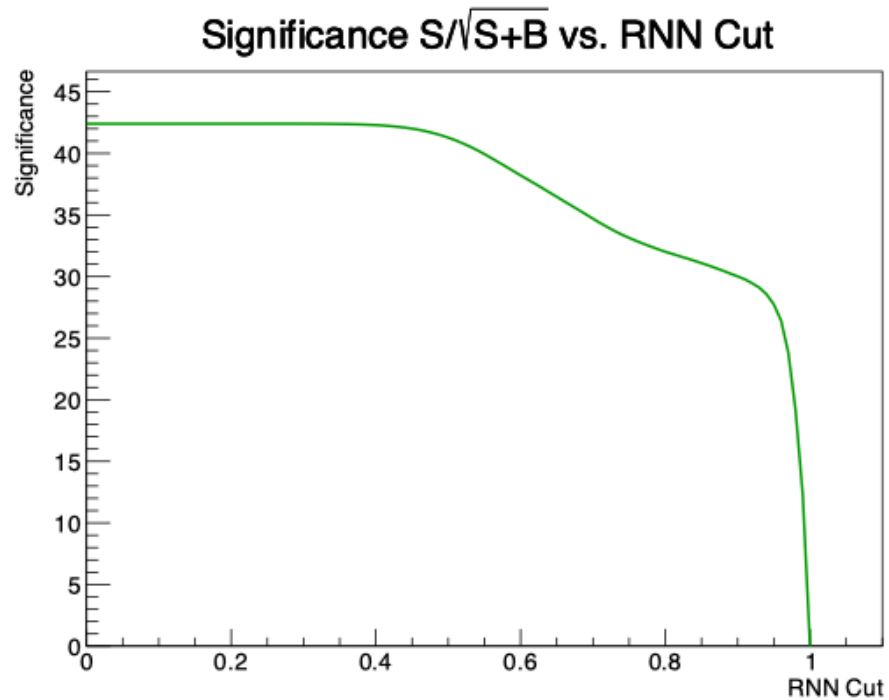
Future Work

- Optimise the machine learning models and input variables.
- Develop dedicated background control regions.

Discussion

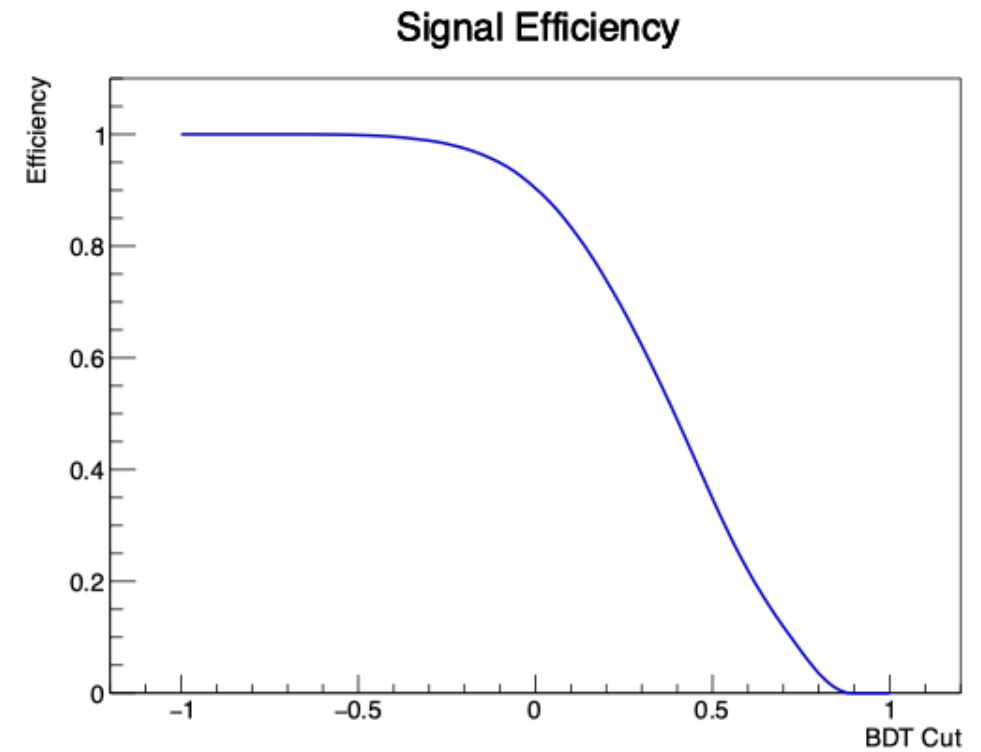
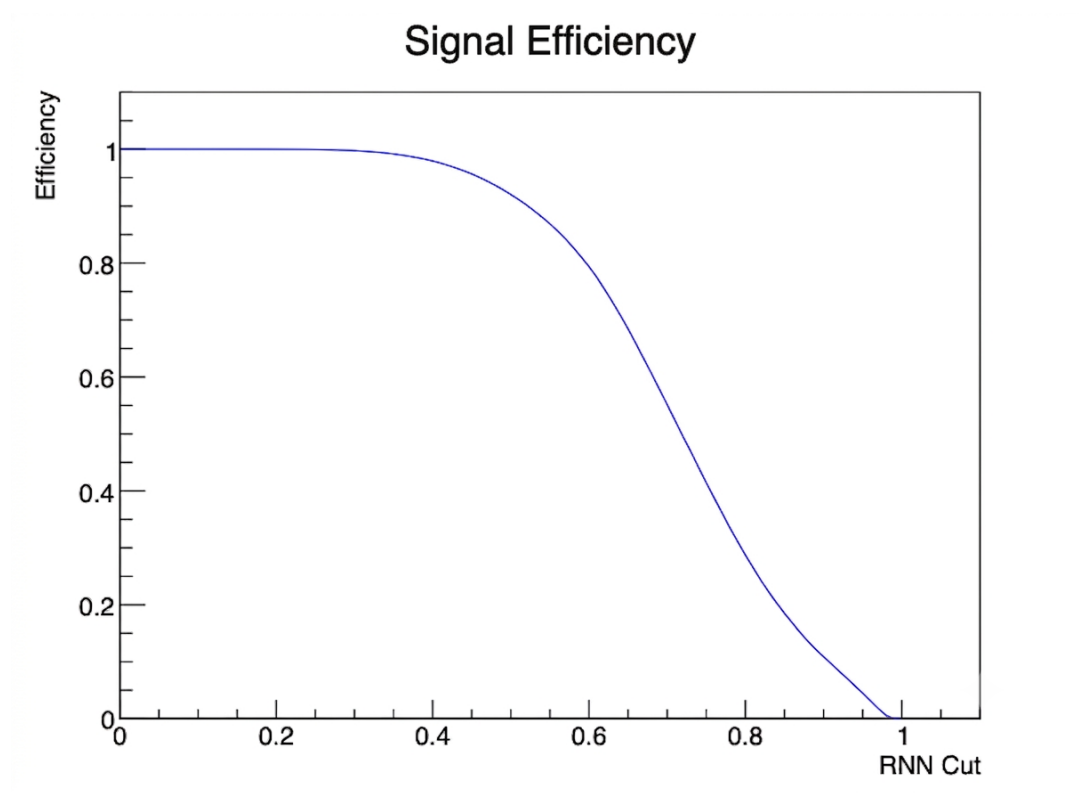
Signal Significance

Comparison of the Signal Significance after the model has been applied to the Monte Carlo Samples
- Changes from the training but they both seem to follow a similar pattern



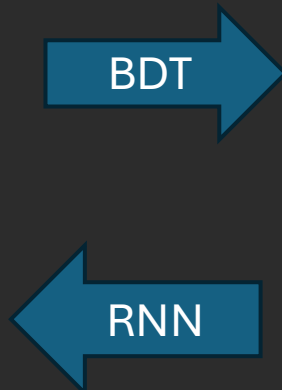
Signal efficiency

Comparison of the Signal Efficiency after the model has been applied to the MC samples
- Changes from the training but they both have the same despite being of different cuts



Configurations

- Depth = 4
- Input = (1, 9, 1)
- Batch size = 4000
- Loss function = C
- Layer 0 RECURRENT
 - Layer:
 - NInput = 9,
 - NState = 64,
 - NTime = 1
 - Output = (4000 , 1 , 64)
- Layer 1 RESHAPE
 - Layer
 - Input = (1 , 1 , 64)
 - Output = (1 , 4000 , 64)
- Layer 2 DENSE
 - Layer:
 - (Input = 64 , Width = 32)
 - Output = (1 , 4000 , 32)
 - Activation Function = Relu
- Layer 3 DENSE
 - Layer:
 - (Input = 32 , Width = 1)
 - Output = (1 , 4000 , 1)
 - Activation Function = Identity



BDT

RNN

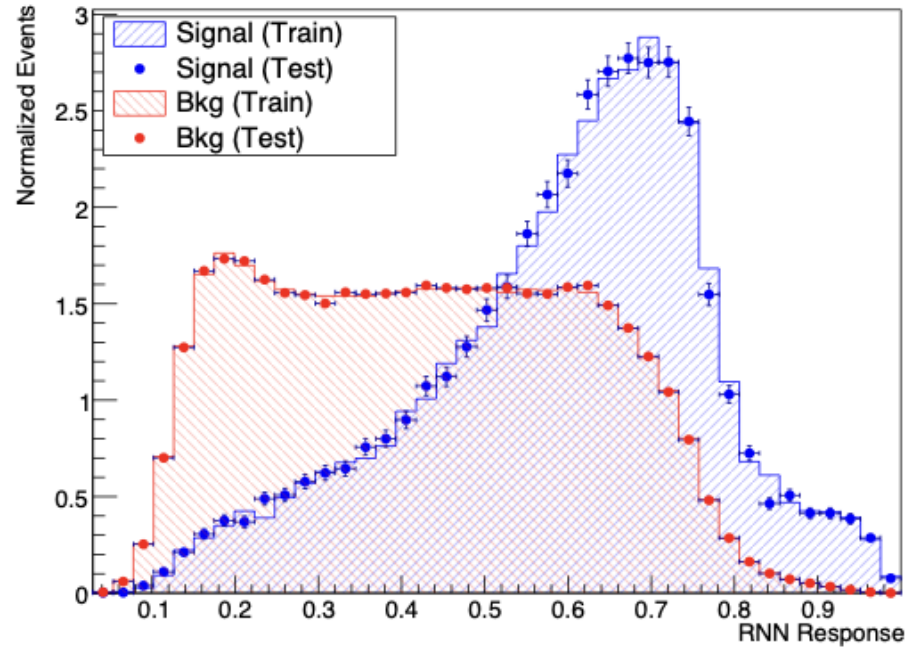
- NTrees=400
- MinNodeSize=2.5%
- MaxDepth=3
- BoostType=Grad
- Shrinkage=0.10
- nCuts=20
- DoEstTransition=1

Stability

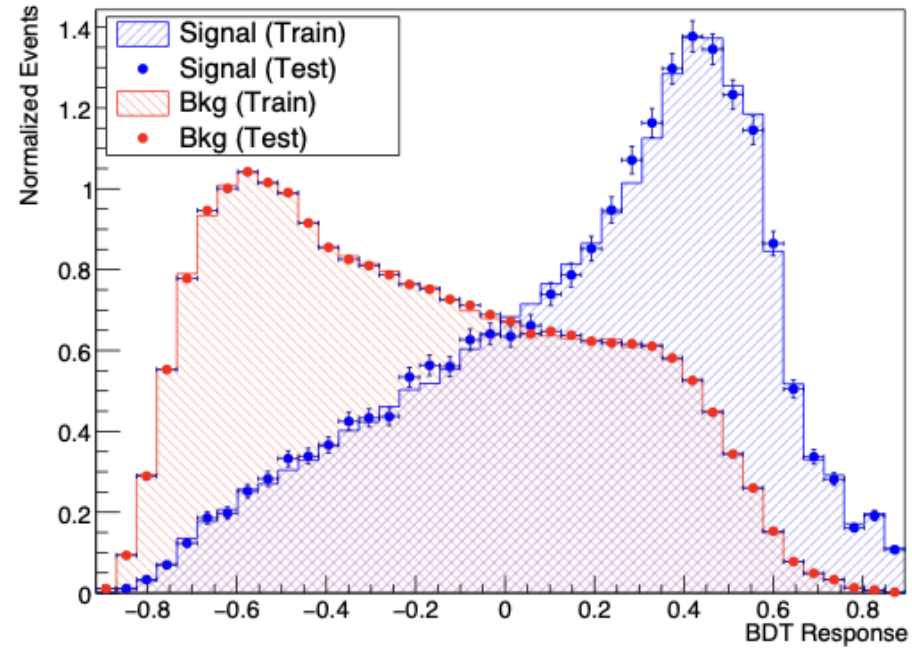
Stability checks of the models

- Checking on the overtraining again after the model has now been applied to the data
 - Testing and training are still relatively following each other -> No overtraining

RNN Overtraining Check



BDT Overtraining Check



Ranking

--- RNN_LSTM Variable Ranking ---

```
1. dphi_zmet : 0.0230081
2. Njets : 0.0222421
3. dphi_lead_jet_met : 0.00815718
4. deltaR_ll : 0.00713503
5. pt_over_mt : 0.00700777
6. met_sig : 0.00663855
7. met_over_mt : 0.00281547
8. lep_pt_sub : 0.00199826
9. lep_mass : 0.00012246
```

Rank : Variable : Variable Importance

```
1 : met_sig : 2.034e-01
2 : pt_over_mt : 1.832e-01
3 : met_over_mt : 1.444e-01
4 : deltaR_ll : 1.241e-01
5 : Njets : 1.049e-01
6 : dphi_zmet : 1.033e-01
7 : lep_mass : 7.129e-02
8 : dphi_lead_jet_met : 5.098e-02
9 : lep_pt_sub : 1.461e-02
-----
```

Variable rankings -> Note that these rankings are not the same between the two models

Application of training on testing data

```
=====
Optimal RNN Cut Value (Maximizing S/sqrt(B)): 0.52
Maximum Significance (S/sqrt(B)): 0.107625
-----
```

```
Yields at Optimal Cut (Raw Counts):
  Total Signal (S): 275761
  Total Background (B): 45384930
=====
```

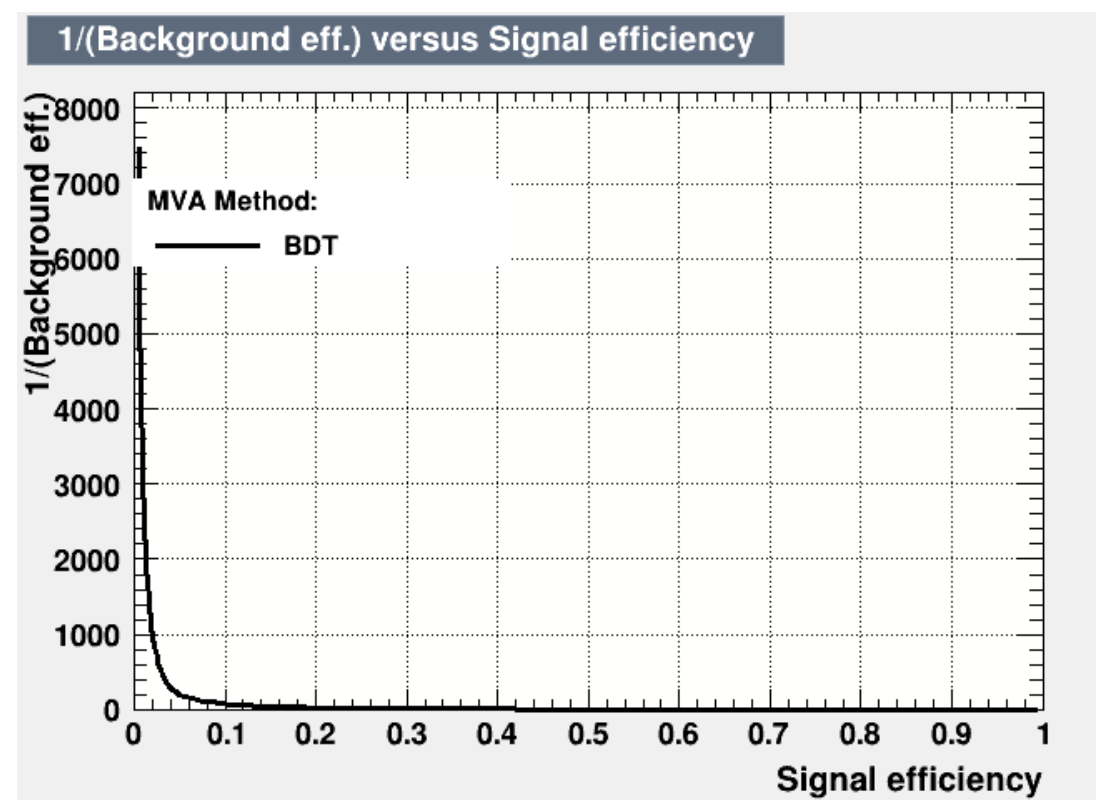
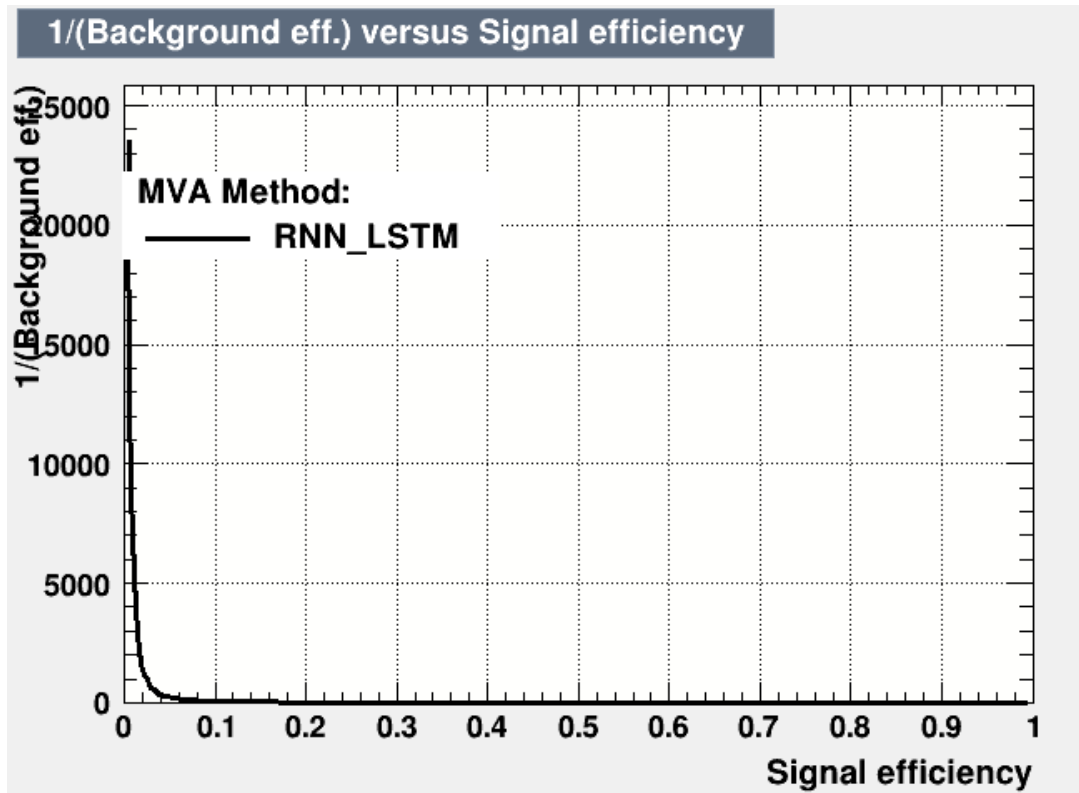
```
=====
Optimal BDT Cut Value (Maximizing S/sqrt(B)): 0.14
Maximum Significance (S/sqrt(B)): 0.112246
-----
```

```
Yields at Optimal Cut (Raw Counts):
  Total Signal (S): 194125
  Total Background (B): 26992410
=====
```

RNN

- Recurrent Neural Networks
 - It is a Sequential type of Neural Network
 - Struggles with longer sequences (Vanishing Gradient)
 - Can take time to run
 - Variable order matters

Inverse ROC



ADA versus GRAD

ADABOOST

- Works via reweighing
- More popular one
- Not super robust – harder to look at outliers

GradBoost

- Based on the constraints of the ADABOOST
- Minimizes the deviations between the model response and the actual true values
- Uses a loss function => Overtraining!

Definitions

- Delta R lepton – separation of the eta and azimuthal (phi) planes
- MET Significance – statistical significance of the MET
- Invariant Mass – mass of the particle system (mass before the decay took place)
- Dilepton Mass – invariant mass of two leptons
- SubLeading Lepton Transverse Momentum – transverse momentum of the second highest lepton
- Longitudinal Momentum Component of the dark photon the z component of the momentum of the dark photon found via solving for it with the quadratic eqn.
- Psuedorapidity - the angle at which a particle travels relative to the collider beam pipe (invariant under longitudinal Lorentz boosts)

Cuts

- 2 leptons – Z boson decay
- Leading Transverse Momentum – less likely to be from background
- Subleading Transverse Momentum – ensures leptons are energetic enough to be reliably measured
- Electron eta cut – electron outside of 2.47 harder to detect and physical gap between 1.37 and 1.52v leading to poor energy resolution
- Muon eta cut – reliable coverage of the muon
- Dilepton invariant mass cut – consistent with decay of Z-boson
- MET cut - in order to reject processes with
- Number of jets cut – Higgs decay does not produce many jets
- Jet eta – reliable coverage inside this range
- Jet Momentum – ensures that the jets are energetic enough and will be reliably measured

Exactly two leptons ($e^+e^-/\mu^+\mu^-$)
Leading Transverse Momentum (p_T) > 27 GeV
Sub-leading Transverse Momentum (p_T) > 15 GeV
Electron pseudorapidity (η) cut: $ \eta < 2.47$ excluding the $1.37 < \eta < 1.52$ calorimeter crack region.
Muon pseudorapidity (η) cut: $ \eta < 2.7$
Dilepton invariant mass: $65 \text{ GeV} < m_{ll} < 110 \text{ GeV}$
MET > 15 GeV
$N_{jet} \leq 2$
$p_T^{jet} > 30 \text{ GeV}$
$ \eta < 4.5$